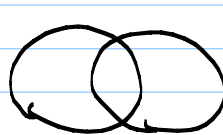
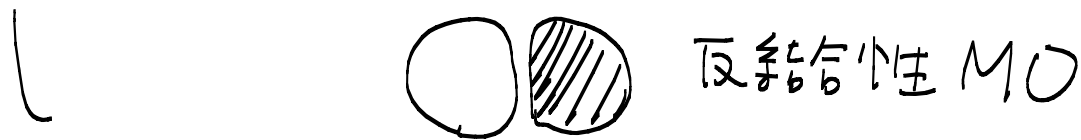


③, ①より $C_A = C_B = 1$ なら 1 $-$ 1
 E_+ E_-

$\varphi_+(r) \propto \phi_A(r) + \phi_B(r)$
 結合性MO
 $\varphi_-(r) \propto \phi_A(r) - \phi_B(r)$



S_{AB} を無視する

$H_{AA} = \epsilon_A, H_{BB} = \epsilon_B$

$H_{AB} = \beta$ と書く. ($\beta < 0$ とする)

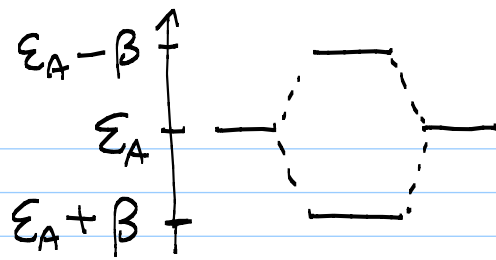
③ $\rightarrow (E - \epsilon_A)(E - \epsilon_B) - \beta^2 = 0$

$E^2 - (\epsilon_A + \epsilon_B)E + \epsilon_A\epsilon_B - \beta^2 = 0$

$E = \frac{\epsilon_A + \epsilon_B}{2} \pm \frac{1}{2} \sqrt{(\epsilon_A + \epsilon_B)^2 - 4(\epsilon_A\epsilon_B - \beta^2)}$
 $= \sim \sqrt{(\epsilon_A - \epsilon_B)^2 + 4\beta^2}$

$$\varepsilon_A = \varepsilon_B \text{ の } \pm \beta$$

$$E = \varepsilon_A \pm \beta$$



$$\varepsilon_B - \varepsilon_A \gg |\beta| \text{ の } \pm \beta$$

$$\left((1+x)^n \cong 1+n\alpha, \sqrt{1+x} \cong 1 + \frac{1}{2}\alpha \right)$$

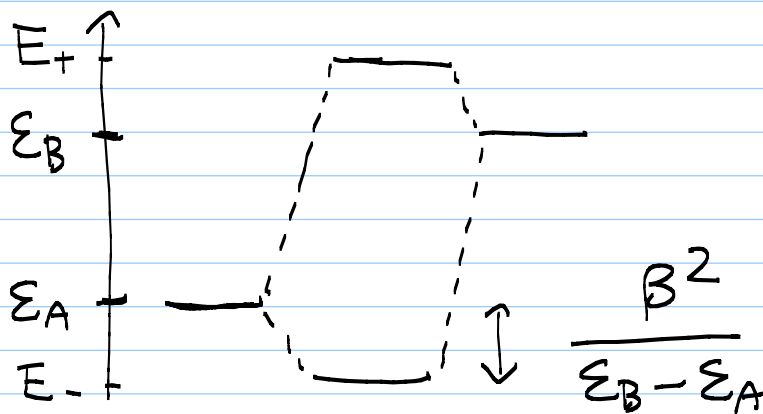
$$\sqrt{(\varepsilon_A - \varepsilon_B)^2 + 4\beta^2} = (\varepsilon_B - \varepsilon_A) \sqrt{1 + \frac{4\beta^2}{(\varepsilon_A - \varepsilon_B)^2}}$$

$$\cong (\varepsilon_B - \varepsilon_A) \left(1 + \frac{2\beta^2}{(\varepsilon_B - \varepsilon_A)^2} \right)$$

$$= \varepsilon_B - \varepsilon_A + \frac{2\beta^2}{\varepsilon_B - \varepsilon_A}$$

$$E = \frac{\varepsilon_A + \varepsilon_B}{2} \pm \left(\frac{\varepsilon_B - \varepsilon_A}{2} + \frac{\beta^2}{\varepsilon_B - \varepsilon_A} \right)$$

$$\begin{cases} E_+ = \varepsilon_B + \frac{\beta^2}{\varepsilon_B - \varepsilon_A} \\ E_- = \varepsilon_A - \text{''} \end{cases}$$



$$E \text{ の } \pm \beta \text{ の } \pm \frac{\beta^2}{\varepsilon_B - \varepsilon_A} \rightarrow \text{大 } \pm$$

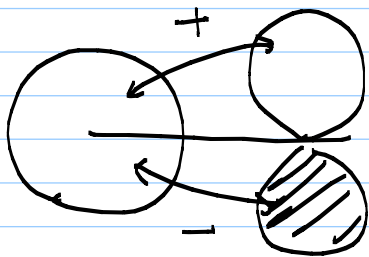
結合エネルギー \rightarrow ①

▷ ① エネルギーの離れた AO 間の混合 (結合) は小さい.

▷ AO の混合 (結合) は

$$|\beta| = |H_{AB}| = \left| \int \psi_A^* \hat{H} \psi_B dr \right|$$

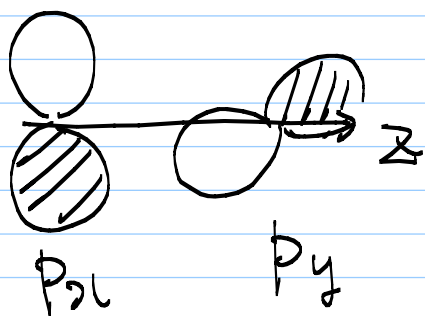
が大きい程大きい.



$$S_{AB} = \int \psi_s^* \psi_p dr = 0$$

s p $H_{AB} = \int \psi_s^* \hat{H} \psi_p dr = 0$

対称性 \nearrow



$$S_{AB} = 0$$

$$H_{AB} = 0$$

▷ β (共鳴積分) の大きさは対称性に依存

結合次数 (Bond order)